

9.23: Twin index

A twin operation overlaps both the direct and reciprocal lattices of the individuals that form a twin; consequently, the nodes of the individual lattices are overlapped (restored) to some extent (twinning). The reciprocal n of the fraction $1/n$ of (quasi)restored nodes is called *twin index*

Let (hkl) be the twin plane and $[uvw]$ the lattice direction (quasi)-normal to it. alternatively, let $[uvw]$ be the twin axis and (hkl) the lattice plane (quasi)-normal to it. For *twofold operations* (180° rotations or reflections) the twin index is:

$$n = X/f, X = |uh+vk+w|$$

where f depends on the lattice type and on the parities of X, h, k, l, u, v and w , as in the following table

Lattice type	condition on hkl	condition on uvw	condition on X	n
P	none	none	X odd	$n = X$
			X even	$n = X/2$
C	$h+k$ odd	none	none	$n = X$
	$h+k$ even	$u+v$ and w not both even	X odd	$n = X$
			X even	$n = X/2$
	$h+k$ even	$u+v$ and w both even	$X/2$ odd	$n = X/2$
$X/2$ even			$n = X/4$	
B	$h+l$ odd	none	none	$n = X$
	$h+l$ even	$u+w$ and v not both even	X odd	$n = X$
			X even	$n = X/2$
	$h+l$ even	$u+w$ and v both even	$X/2$ odd	$n = X/2$
$X/2$ even			$n = X/4$	
A	$k+l$ odd	none	none	$n = X$
	$k+l$ even	$v+w$ and u not both even	X odd	$n = X$
			X even	$n = X/2$
	$k+l$ even	$v+w$ and u both even	$X/2$ odd	$n = X/2$
$X/2$ even			$n = X/4$	
I	$h+k+l$ odd	none	none	$n = X$
	$h+k+l$ even	u, v and w not all odd	X odd	$n = X$
			X even	$n = X/2$
	$h+k+l$ even	u, v and w all odd	$X/2$ odd	$n = X/2$
$X/2$ even			$n = X/4$	
F	none	$u+v+w$ odd	none	$n = X$
h, k, l not all odd	$u+v+w$ even	X odd	$n = X$	
		X even	$n = X/2$	
h, k, l all odd	$u+v+w$ even	$X/2$ odd	$n = X/2$	
		$X/2$ even	$n = X/4$	

When the twin operation is a rotation of higher degree about $[uvw]$, in general the rotational symmetry of the two-dimensional mesh in the (hkl) plane does no longer coincide with that of the twin operation. The degree of restoration of lattice nodes must now take into account the two-dimensional coincidence index Ξ for a plane of the family (hkl) , which defines a super mesh in the twin lattice. Moreover, such a super mesh may exist in ξ planes out of N , depending on where is located the intersection of the $[uvw]$ twin axis with the plane. The twin index n is finally given by:

$$n = N\Xi/\xi$$

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