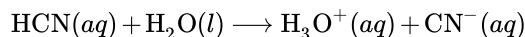
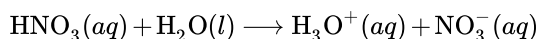
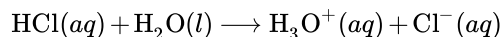


## 15.7: Polyprotic Acids

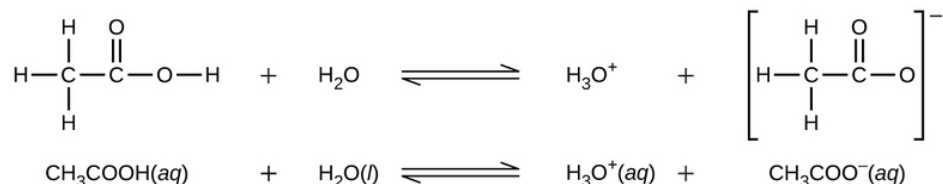
### Learning Objectives

- Extend previously introduced equilibrium concepts to acids and bases that may donate or accept more than one proton

We can classify acids by the number of protons per molecule that they can give up in a reaction. Acids such as  $\text{HCl}$ ,  $\text{HNO}_3$ , and  $\text{HCN}$  that contain one ionizable hydrogen atom in each molecule are called monoprotic acids. Their reactions with water are:



Even though it contains four hydrogen atoms, acetic acid,  $\text{CH}_3\text{CO}_2\text{H}$ , is also monoprotic because only the hydrogen atom from the carboxyl group ( $-\text{COOH}$ ) reacts with bases:



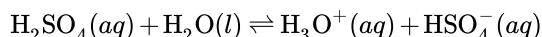
This image contains two equilibrium reactions. The first shows a C atom bonded to three H atoms and another C atom. The second C atom is double bonded to an O atom and also forms a single bond to another O atom. The second O atom is bonded to an H atom. There is a plus sign and then the molecular formula  $\text{H}_3\text{O}^+$ . An equilibrium arrow follows the  $\text{H}_3\text{O}^+$ . To the right of the arrow is  $\text{H}_3\text{O}^+$  with a superscript positive sign. There is a plus sign. The final structure shows a C atom bonded the three H atoms and another C atom. This second C atom is double bonded to an O atom and single bonded to another O atom. The entire structure is in brackets and a superscript negative sign appears outside the brackets. The second reaction shows  $\text{CH}_3\text{COOH}(aq)$  plus  $\text{H}_2\text{O}(l)$  equilibrium arrow  $\text{H}_3\text{O}^+(aq)$  plus  $\text{CH}_3\text{COO}^-(aq)$ .

Similarly, monoprotic bases are bases that will accept a single proton.

### Diprotic Acids

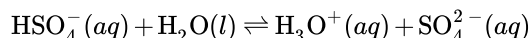
Diprotic acids contain two ionizable hydrogen atoms per molecule; ionization of such acids occurs in two steps. The first ionization always takes place to a greater extent than the second ionization. For example, sulfuric acid, a strong acid, ionizes as follows:

- The first ionization is**



with  $K_{a1} > 10^2$ ; *complete dissociation*.

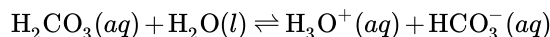
- The second ionization is**



with  $K_{a2} = 1.2 \times 10^{-2}$ .

This stepwise ionization process occurs for all polyprotic acids. When we make a solution of a weak diprotic acid, we get a solution that contains a mixture of acids. Carbonic acid,  $\text{H}_2\text{CO}_3$ , is an example of a weak diprotic acid. The first ionization of carbonic acid yields hydronium ions and bicarbonate ions in small amounts.

- First Ionization**

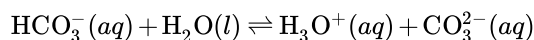


with

$$K_{\text{H}_2\text{CO}_3} = \frac{[\text{H}_3\text{O}^+][\text{HCO}_3^-]}{[\text{H}_2\text{CO}_3]} = 4.3 \times 10^{-7}$$

The bicarbonate ion can also act as an acid. It ionizes and forms hydronium ions and carbonate ions in even smaller quantities.

• **Second Ionization**



with

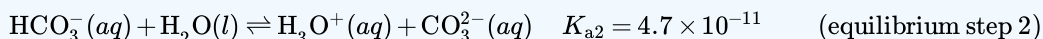
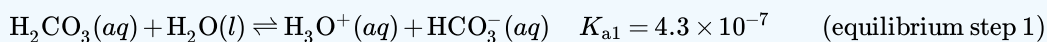
$$K_{\text{HCO}_3^-} = \frac{[\text{H}_3\text{O}^+][\text{CO}_3^{2-}]}{[\text{HCO}_3^-]} = 4.7 \times 10^{-11}$$

$K_{\text{H}_2\text{CO}_3}$  is larger than  $K_{\text{HCO}_3^-}$  by a factor of  $10^4$ , so  $\text{H}_2\text{CO}_3$  is the dominant producer of hydronium ion in the solution. This means that little of the  $\text{HCO}_3^-$  formed by the ionization of  $\text{H}_2\text{CO}_3$  ionizes to give hydronium ions (and carbonate ions), and the concentrations of  $\text{H}_3\text{O}^+$  and  $\text{HCO}_3^-$  are practically equal in a pure aqueous solution of  $\text{H}_2\text{CO}_3$ .

If the first ionization constant of a weak diprotic acid is larger than the second by a factor of at least 20, it is appropriate to treat the first ionization separately and calculate concentrations resulting from it before calculating concentrations of species resulting from subsequent ionization. This can simplify our work considerably because we can determine the concentration of  $\text{H}_3\text{O}^+$  and the conjugate base from the first ionization, then determine the concentration of the conjugate base of the second ionization in a solution with concentrations determined by the first ionization.

✓ **Example 15.7.1: Ionization of a Diprotic Acid**

When we buy soda water (carbonated water), we are buying a solution of carbon dioxide in water. The solution is acidic because  $\text{CO}_2$  reacts with water to form carbonic acid,  $\text{H}_2\text{CO}_3$ . What are  $[\text{H}_3\text{O}^+]$ ,  $[\text{HCO}_3^-]$ , and  $[\text{CO}_3^{2-}]$  in a saturated solution of  $\text{CO}_2$  with an initial  $[\text{H}_2\text{CO}_3] = 0.033 \text{ M}$ ?

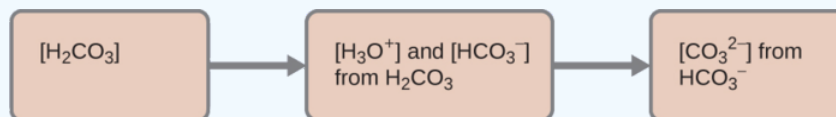


**Solution**

As indicated by the ionization constants,  $\text{H}_2\text{CO}_3$  is a much stronger acid than  $\text{HCO}_3^-$ , so  $\text{H}_2\text{CO}_3$  is the dominant producer of hydronium ion in solution. Thus there are two parts in the solution of this problem:

1. Using the customary four steps, we determine the concentration of  $\text{H}_3\text{O}^+$  and  $\text{HCO}_3^-$  produced by ionization of  $\text{H}_2\text{CO}_3$ .
2. Then we determine the concentration of  $\text{CO}_3^{2-}$  in a solution with the concentration of  $\text{H}_3\text{O}^+$  and  $\text{HCO}_3^-$  determined in (1).

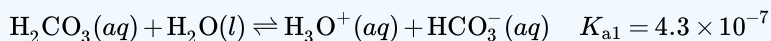
To summarize:



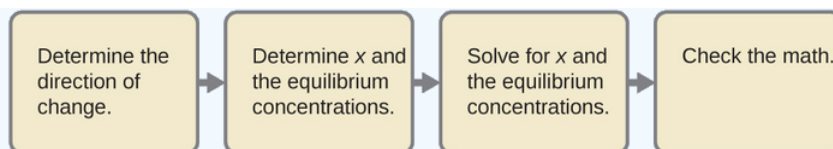
Four tan rectangles are shown that are connected with right pointing arrows. The first is labeled "left bracket H subscript 2 C O subscript 3 right bracket." The second is labeled "left bracket H subscript 3 O superscript plus right bracket and left bracket H C O subscript 3 superscript negative right bracket from H subscript 2 C O subscript 3." The third is labeled "left bracket C O subscript 3 superscript 2 negative right bracket from H C O subscript 3 superscript negative."

1. *First Ionization: Determine the concentrations of  $\text{H}_3\text{O}^+$  and  $\text{HCO}_3^-$ .*

Since [equilibrium step 1](#) has a much bigger  $K_{a1} = 4.3 \times 10^{-7}$  than  $K_{a2} = 4.7 \times 10^{-11}$  for [equilibrium step 2](#), we can safely ignore the second ionization step and focus only on the first step (but address it in next part of problem).



As for the ionization of any other weak acid:



Four tan rectangles are shown that are connected with right pointing arrows. The first is labeled “Determine the direction of change.” The second is labeled “Determine x and the equilibrium concentrations.” The third is labeled “Solve for x and the equilibrium concentrations.” The fourth is labeled “Check the math.”

An abbreviated table of changes and concentrations shows:

Abbreviated table of changes and concentrations

ICE Table	$\text{H}_2\text{CO}_3(aq)$	$\text{H}_2\text{O}(l)$	$\text{H}_3\text{O}^+(aq)$	$\text{HCO}_3^-(aq)$
Initial (M)	0.033 M	-	0	0
Change (M)	$-x$	-	$+x$	$+x$
Equilibrium (M)	$0.033 M - x$	-	$x$	$x$

Substituting the equilibrium concentrations into the equilibrium constant gives us:

$$K_{\text{H}_2\text{CO}_3} = \frac{[\text{H}_3\text{O}^+][\text{HCO}_3^-]}{[\text{H}_2\text{CO}_3]} = \frac{(x)(x)}{0.033 - x} = 4.3 \times 10^{-7}$$

Solving the preceding equation making our standard assumptions gives:

$$x = 1.2 \times 10^{-4}$$

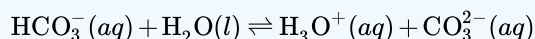
Thus:

$$[\text{H}_2\text{CO}_3] = 0.033 M$$

$$[\text{H}_3\text{O}^+] = [\text{HCO}_3^-] = 1.2 \times 10^{-4} M$$

2. *Second Ionization: Determine the concentration of  $\text{CO}_3^{2-}$  in a solution at equilibrium.*

Since the [equilibrium step 1](#) is has a much bigger  $K_a$  than [equilibrium step 2](#), we can the equilibrium conditions calculated from first part of example as the initial conditions for an ICER Table for the [equilibrium step 2](#):



ICER Table for the [equilibrium step 2](#):

ICE Table	$\text{HCO}_3^-(aq)$	$\text{H}_2\text{O}(l)$	$\text{H}_3\text{O}^+(aq)$	$\text{CO}_3^{2-}(aq)$
Initial (M)	$1.2 \times 10^{-4} M$	-	$1.2 \times 10^{-4} M$	0
Change (M)	$-y$	-	$+y$	$+y$
Equilibrium (M)	$1.2 \times 10^{-4} M - y$	-	$1.2 \times 10^{-4} M + y$	$y$

$$\begin{aligned}
 K_{\text{HCO}_3^-} &= \frac{[\text{H}_3\text{O}^+][\text{CO}_3^{2-}]}{[\text{HCO}_3^-]} \\
 &= \frac{(1.2 \times 10^{-4} M + y)(y)}{(1.2 \times 10^{-4} M - y)}
 \end{aligned}$$

To avoid solving a quadratic equation, we can assume  $y \ll 1.2 \times 10^{-4} M$  so

$$K_{\text{HCO}_3^-} = 4.7 \times 10^{-11} \approx \frac{(1.2 \times 10^{-4} M)(y)}{(1.2 \times 10^{-4} M)}$$

Rearranging to solve for  $y$

$$y \approx \frac{(4.7 \times 10^{-11})(1.2 \times 10^{-4} M)}{1.2 \times 10^{-4} M}$$

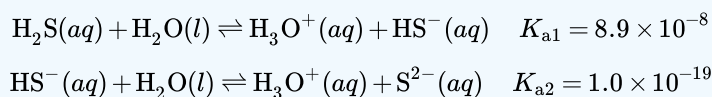
$$[\text{CO}_3^{2-}] = y \approx 4.7 \times 10^{-11}$$

**To summarize:**

In part 1 of this example, we found that the  $\text{H}_2\text{CO}_3$  in a 0.033-M solution ionizes slightly and at equilibrium  $[\text{H}_2\text{CO}_3] = 0.033 M$ ,  $[\text{H}_3\text{O}^+] = 1.2 \times 10^{-4}$ , and  $[\text{HCO}_3^-] = 1.2 \times 10^{-4} M$ . In part 2, we determined that  $[\text{CO}_3^{2-}] = 5.6 \times 10^{-11} M$ .

### ? Exercise 15.7.2: Hydrogen Sulfide

The concentration of  $\text{H}_2\text{S}$  in a saturated aqueous solution at room temperature is approximately 0.1 M. Calculate  $[\text{H}_3\text{O}^+]$ ,  $[\text{HS}^-]$ , and  $[\text{S}^{2-}]$  in the solution:



**Answer**

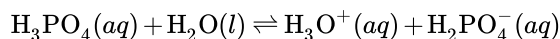
$$[\text{H}_2\text{S}] = 0.1 M, [\text{H}_3\text{O}^+] = [\text{HS}^-] = 0.0001 M, [\text{S}^{2-}] = 1 \times 10^{-19} M$$

We note that the concentration of the sulfide ion is the same as  $K_{a2}$ . This is due to the fact that each subsequent dissociation occurs to a lesser degree (as acid gets weaker).

### Triprotic Acids

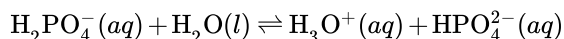
A triprotic acid is an acid that has three dissociable protons that undergo stepwise ionization: Phosphoric acid is a typical example:

- **The first ionization is**



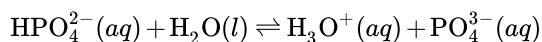
with  $K_{a1} = 7.5 \times 10^{-3}$ .

- **The second ionization is**



with  $K_{a2} = 6.2 \times 10^{-8}$ .

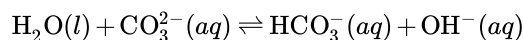
- **The third ionization is**



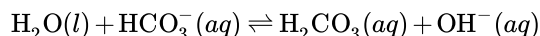
with  $K_{a3} = 4.2 \times 10^{-13}$ .

As with the diprotic acids, the differences in the ionization constants of these reactions tell us that in each successive step the degree of ionization is significantly weaker. This is a general characteristic of polyprotic acids and successive ionization constants often differ by a factor of about  $10^5$  to  $10^6$ . This set of three dissociation reactions may appear to make calculations of equilibrium concentrations in a solution of  $\text{H}_3\text{PO}_4$  complicated. However, because the successive ionization constants differ by a factor of  $10^5$  to  $10^6$ , the calculations can be broken down into a series of parts similar to those for diprotic acids.

Polyprotic bases can accept more than one hydrogen ion in solution. The carbonate ion is an example of a diprotic base, since it can accept up to two protons. Solutions of alkali metal carbonates are quite alkaline, due to the reactions:



and



## Summary

An acid that contains more than one ionizable proton is a polyprotic acid. The protons of these acids ionize in steps. The differences in the acid ionization constants for the successive ionizations of the protons in a polyprotic acid usually vary by roughly five orders of magnitude. As long as the difference between the successive values of  $K_a$  of the acid is greater than about a factor of 20, it is appropriate to break down the calculations of the concentrations of the ions in solution into a series of steps.

## Glossary

### **diprotic acid**

acid containing two ionizable hydrogen atoms per molecule. A diprotic acid ionizes in two steps

### **diprotic base**

base capable of accepting two protons. The protons are accepted in two steps

### **monoprotic acid**

acid containing one ionizable hydrogen atom per molecule

### **stepwise ionization**

process in which an acid is ionized by losing protons sequentially

### **triprotic acid**

acid that contains three ionizable hydrogen atoms per molecule; ionization of triprotic acids occurs in three steps

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