

## 20.2: Balancing Oxidation-Reduction Equations

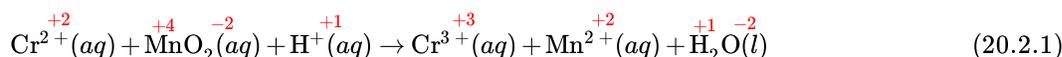
### Learning Objectives

- To identify oxidation–reduction reactions in solution.

We described the defining characteristics of oxidation–reduction, or redox, reactions. Most of the reactions we considered there were relatively simple, and balancing them was straightforward. When oxidation–reduction reactions occur in aqueous solution, however, the equations are more complex and can be more difficult to balance by inspection. Because a balanced chemical equation is the most important prerequisite for solving any stoichiometry problem, we need a method for balancing oxidation–reduction reactions in aqueous solution that is generally applicable. One such method uses *oxidation states*, and a second is referred to as the *half-reaction* method.

### Balancing Redox Equations Using Oxidation States

To balance a redox equation using the oxidation state method, we conceptually separate the overall reaction into two parts: an oxidation—in which the atoms of one element lose electrons—and a reduction—in which the atoms of one element gain electrons. Consider, for example, the reaction of  $\text{Cr}^{2+}(\text{aq})$  with manganese dioxide ( $\text{MnO}_2$ ) in the presence of dilute acid. Equation 20.2.1 is the net ionic equation for this reaction before balancing; the oxidation state of each element in each species has been assigned using the procedure described previously (in red above each element):



Notice that chromium is oxidized from the +2 to the +3 oxidation state, while manganese is reduced from the +4 to the +2 oxidation state. We can write an equation for this reaction that shows only the atoms that are oxidized and reduced (ignoring the oxygen and hydrogen atoms):



The oxidation can be written as



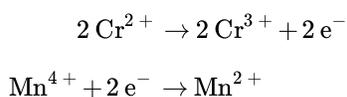
and the reduction as



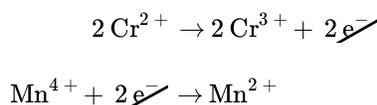
For the overall chemical equation to be balanced, the number of electrons lost by the reductant must equal the number gained by the oxidant. We must therefore multiply the oxidation and the reduction equations by appropriate coefficients to give us the same number of electrons in both. In this example, we must multiply the oxidation (Equation 20.2.3) by 2 to give



The number of electrons lost in the oxidation now equals the number of electrons gained in the reduction (Equation 20.2.4):



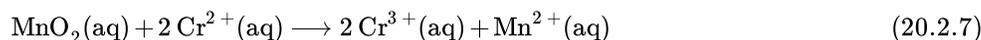
We then add the equations for the oxidation and the reduction and cancel the electrons on both sides of the equation, using the actual chemical forms of the reactants and products:



to result in the balanced redox reaction (metals only)



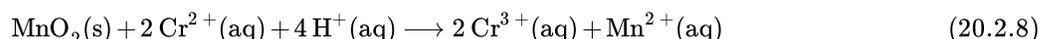
now we can add the non-redox active atoms back into the equation (ignoring water and hydronium for now)



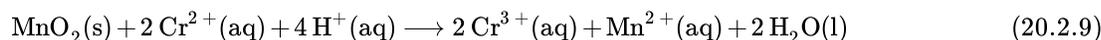
*In a balanced redox reaction, the number of electrons lost by the reductant equals the number of electrons gained by the oxidant.*

Although the electrons cancel and the metal atoms are balanced, the total charge on the left side of Equation 20.2.7 (+4) does not equal the charge on the right side (+8). Because the reaction is carried out in the presence of aqueous acid, we can add  $\text{H}^+$  as necessary to either side of the equation to balance the charge. By the same token, if the reaction were carried out in the presence of aqueous base, we could balance the charge by adding  $\text{OH}^-$  as necessary to either side of the equation to balance the charges.

In this case, adding four  $\text{H}^+$  ions to the left side of Equation 20.2.7 to give



Although the charges are now balanced in Equation 20.2.8, we have two oxygen atoms on the left side of the equation and none on the right. We can balance the oxygen atoms without affecting the overall charge balance by adding  $\text{H}_2\text{O}$  as necessary to either side of the equation. Here, we need to add two  $\text{H}_2\text{O}$  molecules to the right side of Equation 20.2.8



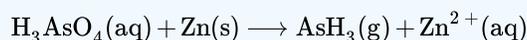
Although we did not explicitly balance the hydrogen atoms, we can see by inspection that the overall chemical equation is now balanced with respect to all atoms and charge. All that remains is to check to make sure that we have not made a mistake. This procedure for balancing reactions is summarized below and illustrated in Example 20.2.1 below.

#### Procedure for Balancing Oxidation–Reduction Reactions by the Oxidation State Method

1. Write the unbalanced chemical equation for the reaction, showing the reactants and the products.
2. Assign oxidation states to all atoms in the reactants and the products and determine which atoms change oxidation state.
3. Write separate equations for oxidation and reduction, showing (a) the atom(s) that is (are) oxidized and reduced and (b) the number of electrons accepted or donated by each.
4. Multiply the oxidation and reduction equations by appropriate coefficients so that both contain the same number of electrons.
5. Write the oxidation and reduction equations showing the actual chemical forms of the reactants and the products, adjusting the coefficients as necessary to give the numbers of atoms in step 4.
6. Add the two equations and cancel the electrons.
7. Balance the charge by adding  $\text{H}^+$  or  $\text{OH}^-$  ions as necessary for reactions in acidic or basic solution, respectively.
8. Balance the oxygen atoms by adding  $\text{H}_2\text{O}$  molecules to one side of the equation.
9. Check to make sure that the equation is balanced in both atoms and total charges.

#### Example 20.2.1: Balancing in Acid Solutions

Arsenic acid ( $\text{H}_3\text{AsO}_4$ ) is a highly poisonous substance that was once used as a pesticide. The reaction of elemental zinc with arsenic acid in acidic solution yields arsine ( $\text{AsH}_3$ , a highly toxic and unstable gas) and  $\text{Zn}^{2+}(\text{aq})$ . Balance the equation for this reaction using oxidation states:



**Given:** reactants and products in acidic solution

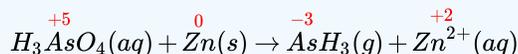
**Asked for:** balanced chemical equation using oxidation states

**Strategy:**

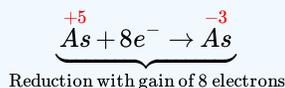
Follow the procedure given [above](#) for balancing a redox equation using oxidation states. When you are done, be certain to check that the equation is balanced.

**Solution:**

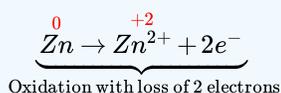
1. Write a chemical equation showing the reactants and the products. Because we are given this information, we can skip this step.
2. Assign oxidation states and determine which atoms change oxidation state. The oxidation state of arsenic in arsenic acid is +5, and the oxidation state of arsenic in arsine is -3. Conversely, the oxidation state of zinc in elemental zinc is 0, and the oxidation state of zinc in  $Zn^{2+}(aq)$  is +2:



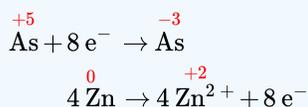
3. Write separate equations for oxidation and reduction. The arsenic atom in  $H_3AsO_4$  is reduced from the +5 to the -3 oxidation state, which requires the addition of eight electrons:



Each zinc atom in elemental zinc is oxidized from 0 to +2, which requires the loss of two electrons per zinc atom:



4. Multiply the oxidation and reduction equations by appropriate coefficients so that both contain the same number of electrons. The reduction equation has eight electrons, and the oxidation equation has two electrons, so we need to multiply the oxidation equation by 4 to obtain



5. Write the oxidation and reduction equations showing the actual chemical forms of the reactants and the products, adjusting coefficients as necessary to give the numbers of atoms shown in step 4. Inserting the actual chemical forms of arsenic and zinc and adjusting the coefficients gives

- o Reduction:



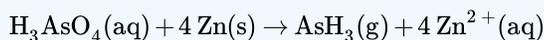
- o Oxidation:



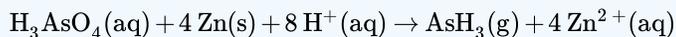
6. Add the two equations and cancel the electrons. The sum of the two equations in step 5 is



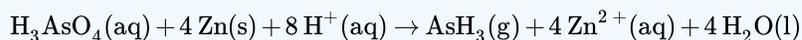
which then yields after canceling electrons



7. Balance the charge by adding  $H^+$  or  $OH^-$  ions as necessary for reactions in acidic or basic solution, respectively. Because the reaction is carried out in acidic solution, we can add  $H^+$  ions to whichever side of the equation requires them to balance the charge. The overall charge on the left side is zero, and the total charge on the right side is  $4 \times (+2) = +8$ . Adding eight  $H^+$  ions to the left side gives a charge of +8 on both sides of the equation:



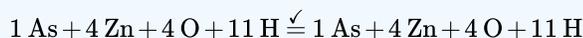
8. Balance the oxygen atoms by adding  $H_2O$  molecules to one side of the equation. There are 4 O atoms on the left side of the equation. Adding 4  $H_2O$  molecules to the right side balances the O atoms:



Although we have not explicitly balanced H atoms, each side of the equation has 11 H atoms.

9. *Check to make sure that the equation is balanced in both atoms and total charges.* To guard against careless errors, it is important to check that both the total number of atoms of each element and the total charges are the same on both sides of the equation:

o Atoms:



o Charge:

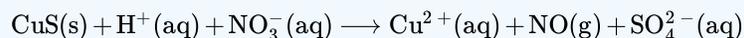
$$8(+1) \stackrel{\checkmark}{=} 4(+2)$$

The balanced chemical equation (both for charge and for atoms) for this reaction is therefore:

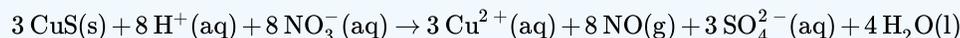


### ? Exercise 20.2.1: Oxidizing Copper

Copper commonly occurs as the sulfide mineral CuS. The first step in extracting copper from CuS is to dissolve the mineral in nitric acid, which oxidizes the sulfide to sulfate and reduces nitric acid to NO. Balance the equation for this reaction using oxidation states:



**Answer**



Reactions in basic solutions are balanced in exactly the same manner. To make sure you understand the procedure, consider Example 20.2.2

### ✓ Example 20.2.2: Balancing in Basic Solution

The commercial solid drain cleaner, Drano, contains a mixture of sodium hydroxide and powdered aluminum. The sodium hydroxide dissolves in standing water to form a strongly basic solution, capable of slowly dissolving organic substances, such as hair, that may be clogging the drain. The aluminum dissolves in the strongly basic solution to produce bubbles of hydrogen gas that agitate the solution to help break up the clogs. The reaction is as follows:



Balance this equation using oxidation states.

**Given:** reactants and products in a basic solution

**Asked for:** balanced chemical equation

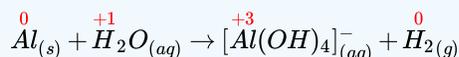
**Strategy:**

Follow the procedure given [above](#) for balancing a redox reaction using oxidation states. When you are done, be certain to check that the equation is balanced.

**Solution:**

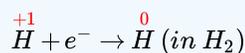
We will apply the same procedure used in Example 20.2.1, but in a more abbreviated form.

1. The equation for the reaction is given, so we can skip this step.
2. The oxidation state of aluminum changes from 0 in metallic Al to +3 in  $[\text{Al}(\text{OH})_4]^{-}$ . The oxidation state of hydrogen changes from +1 in  $\text{H}_2\text{O}$  to 0 in  $\text{H}_2$ . Aluminum is oxidized, while hydrogen is reduced:

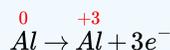


3. Write separate equations for oxidation and reduction.

o Reduction:

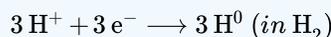


o Oxidation:



4. Multiply the reduction equation by 3 to obtain an equation with the same number of electrons as the oxidation equation:

o Reduction:

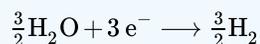


o Oxidation:



5. Insert the actual chemical forms of the reactants and products, adjusting the coefficients as necessary to obtain the correct numbers of atoms as in step 4. Because a molecule of  $\text{H}_2\text{O}$  contains two protons, in this case,  $3\text{H}^{+}$  corresponds to  $\frac{3}{2}\text{H}_2\text{O}$ . Similarly, each molecule of hydrogen gas contains two H atoms, so  $3\text{H}$  corresponds to  $\frac{3}{2}\text{H}_2$ .

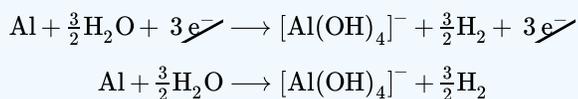
o Reduction:



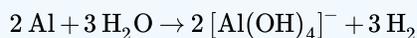
o Oxidation:



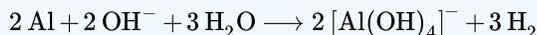
6. Adding the equations and canceling the electrons gives



To remove the fractional coefficients, multiply both sides of the equation by 2:



7. The right side of the equation has a total charge of  $-2$ , whereas the left side has a total charge of  $0$ . Because the reaction is carried out in basic solution, we can balance the charge by adding two  $\text{OH}^{-}$  ions to the left side:

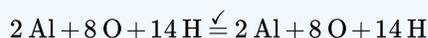


8. The left side of the equation contains five O atoms, and the right side contains eight O atoms. We can balance the O atoms by adding three  $\text{H}_2\text{O}$  molecules to the left side:

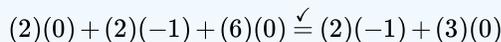


9. Be sure the equation is balanced:

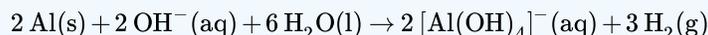
1. Atoms:



2. Charge:



The balanced chemical equation is therefore



Thus 3 mol of  $\text{H}_2$  gas are produced for every 2 mol of Al consumed.

### ? Exercise 20.2.2: Reducing Manganese in permanganate

The permanganate ion reacts with nitrite ion in basic solution to produce manganese (IV) oxide and nitrate ion. Write a balanced chemical equation for the reaction.

**Answer**

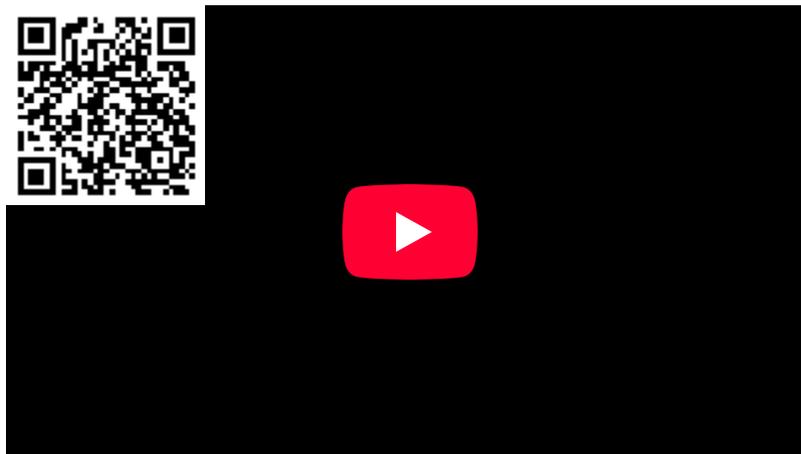


As suggested in Examples 20.2.1 and 20.2.2 a wide variety of redox reactions are possible in aqueous solutions. The identity of the products obtained from a given set of reactants often depends on both the ratio of oxidant to reductant and whether the reaction is carried out in acidic or basic solution, which is one reason it can be difficult to predict the outcome of a reaction. Because oxidation–reduction reactions in solution are so common and so important, however, chemists have developed two general guidelines for predicting whether a redox reaction will occur and the identity of the products:

1. Compounds of elements in high oxidation states (such as  $\text{ClO}_4^-$ ,  $\text{NO}_3^-$ ,  $\text{MnO}_4^-$ ,  $\text{Cr}_2\text{O}_7^{2-}$ , and  $\text{UF}_6$ ) tend to act as *oxidants* and *become reduced* in chemical reactions.
2. Compounds of elements in low oxidation states (such as  $\text{CH}_4$ ,  $\text{NH}_3$ ,  $\text{H}_2\text{S}$ , and  $\text{HI}$ ) tend to act as *reductants* and *become oxidized* in chemical reactions.

When an aqueous solution of a compound that contains an element in a high oxidation state is mixed with an aqueous solution of a compound that contains an element in a low oxidation state, an oxidation–reduction reaction is likely to occur.

*Species in high oxidation states act as oxidants, whereas species in low oxidation states act as reductants.*



**Balancing a Redox Reaction in Acidic Conditions:** [Balancing a Redox Reaction in Acidic Conditions \(opens in new window\)](#) [youtu.be]

### Summary

Oxidation–reduction reactions are balanced by separating the overall chemical equation into an oxidation equation and a reduction equation. In oxidation–reduction reactions, electrons are transferred from one substance or atom to another. We can balance oxidation–reduction reactions in solution using the [oxidation state method](#), in which the overall reaction is separated into an oxidation equation and a reduction equation.

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