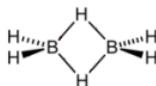


## 6.4: Diborane

### Diborane - $D_{2h}$ Symmetry



Diborane has 18 vibrational degrees of freedom. Nine modes are Raman active and eight are IR active. The experimental results are provided in the table below. Do a symmetry analysis to confirm the assignments given below, and identify stretches and bends.

$$\begin{pmatrix} D_{2h} & A_g & A_g & A_g & A_g & B_{1g} & B_{1g} & B_{2g} & B_{2g} & B_{3g} \\ \text{Raman cm} & 2524 & 2104 & 1180 & 794 & 1768 & 1035 & 2591 & 920 & 1012 \\ D_{2h} & A_u & B_{1u} & B_{1u} & B_{1u} & B_{2u} & B_{2u} & B_{3u} & B_{3u} & B_{3u} \\ \text{IR cm} & 0 & 2612 & 950 & 368 & 1915 & 973 & 2525 & 1606 & 1177 \end{pmatrix}$$

$$C_{D_{2h}} = \begin{pmatrix} E & C_2^z & C_2^y & C_2^x & i & \sigma_{xy} & \sigma_{xz} & \sigma_{yz} \\ 1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 \\ 1 & 1 & -1 & -1 & 1 & 1 & -1 & -1 \\ 1 & -1 & 1 & -1 & 1 & -1 & 1 & -1 \\ 1 & -1 & -1 & 1 & 1 & -1 & -1 & 1 \\ 1 & 1 & 1 & 1 & -1 & -1 & -1 & -1 \\ 1 & 1 & -1 & -1 & -1 & -1 & 1 & 1 \\ 1 & -1 & 1 & -1 & -1 & 1 & -1 & 1 \\ 1 & -1 & -1 & 1 & -1 & 1 & 1 & -1 \end{pmatrix}$$

$$\begin{matrix} A_g : x^2, y^2, z^2 \\ B_{1g} : R_x, xy \\ B_{2g} : R_y, xz \\ B_{3g} : R_x, yx \\ A_u \\ B_{1u} : z \\ B_{2u} : y \\ B_{3u} : x \end{matrix}$$

$$D_{2h} = \begin{pmatrix} 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \end{pmatrix}$$

$$\Gamma_{uma} = \begin{pmatrix} 8 \\ 0 \\ 2 \\ 2 \\ 0 \\ 4 \\ 6 \\ 2 \end{pmatrix}$$

$$\Gamma_{bonds} = \begin{pmatrix} 8 \\ 0 \\ 0 \\ 0 \\ 0 \\ 4 \\ 4 \\ 0 \end{pmatrix}$$

$$\begin{matrix} A_g = (C_{D_{4h}}^T)^{\langle 1 \rangle} & B_{2g} = (C_{D_{4h}}^T)^{\langle 2 \rangle} & B_{2g} = (C_{D_{4h}}^T)^{\langle 3 \rangle} & B_{3g} = (C_{D_{4h}}^T)^{\langle 4 \rangle} \\ A_u = (C_{D_{4h}}^T)^{\langle 5 \rangle} & B_{1u} = (C_{D_{4h}}^T)^{\langle 6 \rangle} & B_{2u} = (C_{D_{4h}}^T)^{\langle 7 \rangle} & B_{3u} = (C_{D_{4h}}^T)^{\langle 8 \rangle} \end{matrix} \quad h = \sum D_{2h}$$

$$\begin{matrix} \Gamma_{trans} = B_{1u} + B_{2u} + B_{3u} & \Gamma_{tot} = B_{1g} + B_{2g} + B_{3g} & \Gamma_{tot} = \overrightarrow{(\Gamma_{uma} \Gamma_{trans})} \\ \Gamma_{vib} = \Gamma_{tot} - \Gamma_{trans} - \Gamma_{rot} & \Gamma_{vib}^T = (18 \ 2 \ 0 \ 0 \ 0 \ 4 \ 6 \ 2) & i = 1..8 \\ \Gamma_{stretch} = \Gamma_{bonds} & \Gamma_{bend} = \Gamma_{vib} - \Gamma_{stretch} \end{matrix}$$

$$\begin{matrix} \text{Vib}_i = \frac{\sum [D_{2h}(C_{D_{2h}}^T)^{\langle i \rangle} \Gamma_{vib}]}{h} & \text{Stretch}_i = \frac{\sum [D_{2h}(C_{D_{2h}}^T)^{\langle i \rangle} \Gamma_{stretch}]}{h} & \text{Bend}_i = \frac{\sum [D_{2h}(C_{D_{2h}}^T)^{\langle i \rangle} \Gamma_{bend}]}{h} \end{matrix}$$

$$\begin{matrix} \text{Vib} = \begin{pmatrix} 4 \\ 2 \\ 2 \\ 1 \\ 1 \\ 3 \\ 2 \\ 3 \end{pmatrix} \begin{matrix} A_g : x^2, y^2, z^2 \\ B_{1g} : R_x, xy \\ B_{2g} : R_y, xz \\ B_{3g} : R_x, yx \\ A_u \\ B_{1u} : z \\ B_{2u} : y \\ B_{3u} : x \end{matrix} & \text{Stretch} = \begin{pmatrix} 2 \\ 1 \\ 1 \\ 0 \\ 0 \\ 1 \\ 1 \\ 2 \end{pmatrix} \begin{matrix} A_g : x^2, y^2, z^2 \\ B_{1g} : R_x, xy \\ B_{2g} : R_y, xz \\ B_{3g} : R_x, yx \\ A_u \\ B_{1u} : z \\ B_{2u} : y \\ B_{3u} : x \end{matrix} & \text{Bend} = \begin{pmatrix} 2 \\ 1 \\ 1 \\ 1 \\ 1 \\ 2 \\ 1 \\ 1 \end{pmatrix} \begin{matrix} A_g : x^2, y^2, z^2 \\ B_{1g} : R_x, xy \\ B_{2g} : R_y, xz \\ B_{3g} : R_x, yx \\ A_u \\ B_{1u} : z \\ B_{2u} : y \\ B_{3u} : x \end{matrix} \end{matrix}$$

This analysis is in agreement with the experimental data. There are 9 Raman active modes and 8 IR active modes. Furthermore there are 4 Raman stretches at 2524 (Ag), 2104 (Ag), 1768 (B1g), and 2591 (B2g). The five Raman bends occur at 1180 (Ag), 794 (Ag), 1035 (B1g), 920 (B2g), and 1012 (B3g).

The 4 IR stretches occur at 2612 (B1u), 1915 (B2u), 2525 (B3u), and 1606 (B3u). The bends appear at 950 (B1u), 368 (B1u), 973 (B2u), 1177 (B3u).

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