

14.2: Appendix F | Mathematical Phrases, Symbols, and Formulas

English Phrases Written Mathematically

When the English says:	Interpret this as:
X is at least 4.	$X \geq 4$
The minimum of X is 4.	$X \geq 4$
X is no less than 4.	$X \geq 4$
X is greater than or equal to 4.	$X \geq 4$
X is at most 4.	$X \leq 4$
The maximum of X is 4.	$X \leq 4$
X is no more than 4.	$X \leq 4$
X is less than or equal to 4.	$X \leq 4$
X does not exceed 4.	$X \leq 4$
X is greater than 4.	$X > 4$
X is more than 4.	$X > 4$
X exceeds 4.	$X > 4$
X is less than 4.	$X < 4$
There are fewer X than 4.	$X < 4$
X is 4.	$X = 4$
X is equal to 4.	$X = 4$
X is the same as 4.	$X = 4$
X is not 4.	$X \neq 4$
X is not equal to 4.	$X \neq 4$
X is not the same as 4.	$X \neq 4$
X is different than 4.	$X \neq 4$

Table F1

Formulas

Formula 1: Factorial

$n! = n(n-1)(n-2)\dots(1)$ role="presentation" style="position: relative;">
 $n! = n(n-1)(n-2)\dots(1)$

$0! = 1$ role="presentation" style="position: relative;">
 $0! = 1$

Formula 2: Combinations

$(nr) = \frac{n!}{(n-r)!r!}$ role="presentation" style="position: relative;">
 $\binom{n}{r} = \frac{n!}{(n-r)!r!} = \frac{n!}{(n-r)!r!}$

Formula 3: Binomial Distribution

$X \sim B(n, p)$ role="presentation" style="position: relative;">
 $X \sim B(n, p)$

$P(X=x) = \binom{n}{x} p^x q^{n-x}$ role="presentation" style="position: relative;">
 $P(X=x) = \binom{n}{x} p^x q^{n-x}$

Formula 4: Geometric Distribution

$X \sim G(p)$ role="presentation" style="position: relative;">
 $X \sim G(p)$

$P(X=x) = qx^{x-1}p$ role="presentation" style="position: relative;">
 $P(X=x) = q^{x-1}p$

Formula 5: Hypergeometric Distribution

$X \sim H(r, b, n)$ role="presentation" style="position: relative;">
 $X \sim H(r, b, n)$

$P(X=x) = \frac{\binom{r}{x} \binom{b}{n-x}}{\binom{r+b}{n}}$ role="presentation" style="position: relative;">
 $P(X=x) = \frac{\binom{r}{x} \binom{b}{n-x}}{\binom{r+b}{n}}$

Formula 6: Poisson Distribution

$X \sim P(\mu)$ role="presentation" style="position: relative;">
 $X \sim P(\mu)$

$P(X=x) = \frac{\mu^x e^{-\mu}}{x!}$ role="presentation" style="position: relative;">
 $P(X=x) = \frac{\mu^x e^{-\mu}}{x!}$

Formula 7: Uniform Distribution

$X \sim U(a, b)$ $X \sim U(a, b)$ role="presentation" style="position: relative;">> $X \sim U(a, b)$ $X \sim U(a, b)$

$f(x) = \frac{1}{b-a}$ $f(x) = \frac{1}{b-a}$ role="presentation" style="position: relative;">> $f(x) = \frac{1}{b-a}$ $f(x) = \frac{1}{b-a}$, $a < x < b$ role="presentation" style="position: relative;">> $a < x < b$

Formula 8: Exponential Distribution

$X \sim \text{Exp}(m)$ $X \sim \text{Exp}(m)$ role="presentation" style="position: relative;">> $X \sim \text{Exp}(m)$ $X \sim \text{Exp}(m)$

$f(x) = me^{-mx}$ $f(x) = me^{-mx}$ role="presentation" style="position: relative;">> $f(x) = me^{-mx}$ $f(x) = me^{-mx}$, $x \geq 0$ role="presentation" style="position: relative;">> $x \geq 0$

Formula 9: Normal Distribution

$X \sim N(\mu, \sigma^2)$ $X \sim N(\mu, \sigma^2)$ role="presentation" style="position: relative;">> $X \sim N(\mu, \sigma^2)$ $X \sim N(\mu, \sigma^2)$

$f(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$ $f(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$ role="presentation" style="position: relative;">> $f(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$ $f(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$, $-\infty < x < \infty$ role="presentation" style="position: relative;">> $-\infty < x < \infty$

Formula 10: Student's t-distribution

$X \sim t_{df}$ $X \sim t_{df}$ role="presentation" style="position: relative;">> $X \sim t_{df}$ $X \sim t_{df}$

$f(x) = \frac{\Gamma(\frac{n+1}{2})}{\sqrt{n\pi} \Gamma(\frac{n}{2})} \left(\frac{1}{1 + \frac{x^2}{n}} \right)^{\frac{n+1}{2}}$ $f(x) = \frac{\Gamma(\frac{n+1}{2})}{\sqrt{n\pi} \Gamma(\frac{n}{2})} \left(\frac{1}{1 + \frac{x^2}{n}} \right)^{\frac{n+1}{2}}$ role="presentation" style="position: relative;">> $f(x) = \frac{\Gamma(\frac{n+1}{2})}{\sqrt{n\pi} \Gamma(\frac{n}{2})} \left(\frac{1}{1 + \frac{x^2}{n}} \right)^{\frac{n+1}{2}}$ $f(x) = \frac{\Gamma(\frac{n+1}{2})}{\sqrt{n\pi} \Gamma(\frac{n}{2})} \left(\frac{1}{1 + \frac{x^2}{n}} \right)^{\frac{n+1}{2}}$

$f(x) = \frac{\Gamma(\frac{n+1}{2})}{\sqrt{n\pi} \Gamma(\frac{n}{2})} \left(\frac{1}{1 + \frac{x^2}{n}} \right)^{\frac{n+1}{2}}$

$X = \frac{Z}{\sqrt{\frac{Y}{n}}}$ $X = \frac{Z}{\sqrt{\frac{Y}{n}}}$ role="presentation" style="position: relative;">> $X = \frac{Z}{\sqrt{\frac{Y}{n}}}$ $X = \frac{Z}{\sqrt{\frac{Y}{n}}}$

$Z \sim N(0, 1)$ $Y \sim \chi^2_{df}$ $Z \sim N(0, 1)$ $Y \sim \chi^2_{df}$ role="presentation" style="position: relative;">> $Z \sim N(0, 1)$ $Y \sim \chi^2_{df}$, $Y \sim \chi^2_{df}$ $Y \sim \chi^2_{df}$, n role="presentation" style="position: relative;">> n n = degrees of freedom

Formula 11: Chi-Square Distribution

$X \sim \chi^2_{df}$ $X \sim \chi^2_{df}$ role="presentation" style="position: relative;">> $X \sim \chi^2_{df}$ $X \sim \chi^2_{df}$

$f(x) = \frac{1}{2^{n/2} \Gamma(\frac{n}{2})} e^{-\frac{x}{2}}$ $f(x) = \frac{1}{2^{n/2} \Gamma(\frac{n}{2})} e^{-\frac{x}{2}}$ role="presentation" style="position: relative;">> $f(x) = \frac{1}{2^{n/2} \Gamma(\frac{n}{2})} e^{-\frac{x}{2}}$ $f(x) = \frac{1}{2^{n/2} \Gamma(\frac{n}{2})} e^{-\frac{x}{2}}$, $x > 0$ role="presentation" style="position: relative;">> $x > 0$, n role="presentation" style="position: relative;">> n n = positive integer and degrees of freedom

Formula 12: F Distribution

$X \sim F_{df(n), df(d)}$ $X \sim F_{df(n), df(d)}$ role="presentation" style="position: relative;">> $X \sim F_{df(n), df(d)}$ $X \sim F_{df(n), df(d)}$

$df(n) = df(n)$ role="presentation" style="position: relative;">> $df(n) = df(n)$ = degrees of freedom for the numerator

$df(d) = df(d)$ role="presentation" style="position: relative;">> $df(d) = df(d)$ = degrees of freedom for the denominator

$f(x) = \frac{\Gamma(\frac{n+d}{2})}{\Gamma(\frac{n}{2}) \Gamma(\frac{d}{2})} \left(\frac{d}{n} \right)^{\frac{n}{2}} x^{\frac{d}{2}-1} \left(1 + \frac{d}{n} x \right)^{-\frac{n+d}{2}}$ $f(x) = \frac{\Gamma(\frac{n+d}{2})}{\Gamma(\frac{n}{2}) \Gamma(\frac{d}{2})} \left(\frac{d}{n} \right)^{\frac{n}{2}} x^{\frac{d}{2}-1} \left(1 + \frac{d}{n} x \right)^{-\frac{n+d}{2}}$ role="presentation" style="position: relative;">> $f(x) = \frac{\Gamma(\frac{n+d}{2})}{\Gamma(\frac{n}{2}) \Gamma(\frac{d}{2})} \left(\frac{d}{n} \right)^{\frac{n}{2}} x^{\frac{d}{2}-1} \left(1 + \frac{d}{n} x \right)^{-\frac{n+d}{2}}$ $f(x) = \frac{\Gamma(\frac{n+d}{2})}{\Gamma(\frac{n}{2}) \Gamma(\frac{d}{2})} \left(\frac{d}{n} \right)^{\frac{n}{2}} x^{\frac{d}{2}-1} \left(1 + \frac{d}{n} x \right)^{-\frac{n+d}{2}}$

$f(x) = \frac{\Gamma(\frac{n+d}{2})}{\Gamma(\frac{n}{2}) \Gamma(\frac{d}{2})} \left(\frac{d}{n} \right)^{\frac{n}{2}} x^{\frac{d}{2}-1} \left(1 + \frac{d}{n} x \right)^{-\frac{n+d}{2}}$

$X = \frac{Y_u}{W_v}$ $X = \frac{Y_u}{W_v}$ role="presentation" style="position: relative;">> $X = \frac{Y_u}{W_v}$ $X = \frac{Y_u}{W_v}$, Y_u role="presentation" style="position: relative;">> Y_u , W_v role="presentation" style="position: relative;">> W_v are chi-square

Symbols and Their Meanings

Chapter (1st used)	Symbol	Spoken	Meaning
Sampling and Data	$\sqrt{\quad}$	The square root of	same
Sampling and Data	π	π	3.14159... (a specific number)
Descriptive Statistics	Q_1	Quartile one	the first quartile
Descriptive Statistics	Q_2	Quartile two	the second quartile
Descriptive Statistics	Q_3	Quartile three	the third quartile
Descriptive Statistics	IQR	interquartile range	$Q_3 - Q_1 = IQR$
Descriptive Statistics	\bar{x}	\bar{x}	sample mean
Descriptive Statistics	μ	μ	population mean
Descriptive Statistics	s_x	s	sample standard deviation

Chapter (1st used)	Symbol	Spoken	Meaning
Descriptive Statistics	s^2 s_x^2	s squared s squared	sample variance
Descriptive Statistics	σ σ_x	sigma sigma	population standard deviation
Descriptive Statistics	σ^2 σ_x^2	sigma squared sigma squared	population variance
Descriptive Statistics	Σ	capital sigma	sum
Probability Topics	$\{ \}$	brackets	set notation
Probability Topics	S	S	sample space
Probability Topics	A	Event A	event A
Probability Topics	$P(A)$	probability of A	probability of A occurring
Probability Topics	$P(A B)$	probability of A given B	prob. of A occurring given B has occurred
Probability Topics	$P(A \text{ OR } B)$	prob. of A or B	prob. of A or B or both occurring
Probability Topics	$P(A \text{ AND } B)$	prob. of A and B	prob. of both A and B occurring (same time)
Probability Topics	A'	A-prime, complement of A	complement of A, not A
Probability Topics	$P(A')$	prob. of complement of A	same
Probability Topics	G_1	green on first pick	same
Probability Topics	$P(G_1)$	prob. of green on first pick	same
Discrete Random Variables	PDF	prob. distribution function	same
Discrete Random Variables	X	X	the random variable X
Discrete Random Variables	$X \sim$	the distribution of X	same
Discrete Random Variables	B	binomial distribution	same
Discrete Random Variables	G	geometric distribution	same
Discrete Random Variables	H	hypergeometric dist.	same
Discrete Random Variables	P	Poisson dist.	same
Discrete Random Variables	λ	Lambda	average of Poisson distribution
Discrete Random Variables	\geq	greater than or equal to	same
Discrete Random Variables	\leq	less than or equal to	same
Discrete Random Variables	$=$	equal to	same
Discrete Random Variables	\neq	not equal to	same
Continuous Random Variables	$f(x)$	f of x	function of x
Continuous Random Variables	pdf	prob. density function	same
Continuous Random Variables	U	uniform distribution	same
Continuous Random Variables	Exp	exponential distribution	same
Continuous Random Variables	k	k	critical value
Continuous Random Variables	$f(x) =$	f of x equals	same
Continuous Random Variables	m	m	decay rate (for exp. dist.)
The Normal Distribution	N	normal distribution	same
The Normal Distribution	z	z-score	same
The Normal Distribution	Z	standard normal dist.	same
The Central Limit Theorem	CLT	Central Limit Theorem	same

Chapter (1st used)	Symbol	Spoken	Meaning
The Central Limit Theorem	\bar{X}	relative; \bar{X} X-bar	the random variable X-bar
The Central Limit Theorem	μ_x	relative; μ_x mean of X	the average of X
The Central Limit Theorem	$\mu_{\bar{x}}$	position; relative; $\mu_{\bar{x}}$ mean of X-bar	the average of X-bar
The Central Limit Theorem	σ_x	relative; σ_x standard deviation of X	same
The Central Limit Theorem	$\sigma_{\bar{x}}$	position; relative; $\sigma_{\bar{x}}$ standard deviation of X-bar	same
The Central Limit Theorem	ΣX	relative; ΣX sum of X	same
The Central Limit Theorem	Σx	relative; Σx sum of x	same
Confidence Intervals	CL	confidence level	same
Confidence Intervals	CI	confidence interval	same
Confidence Intervals	EBM	error bound for a mean	same
Confidence Intervals	EBP	error bound for a proportion	same
Confidence Intervals	t	Student's t-distribution	same
Confidence Intervals	df	degrees of freedom	same
Confidence Intervals	$t_{\frac{a}{2}}$	relative; $t_{\frac{a}{2}}$ student t with a/2 area in right tail	same
Confidence Intervals	p' ; p^{\wedge}	position; relative; p' p-prime; p-hat	sample proportion of success
Confidence Intervals	q' ; q^{\wedge}	position; relative; q' q-prime; q-hat	sample proportion of failure
Hypothesis Testing	H_0	relative; H_0 H-naught, H-sub 0	null hypothesis
Hypothesis Testing	H_a	relative; H_a H-a, H-sub a	alternate hypothesis
Hypothesis Testing	H_1	relative; H_1 H-1, H-sub 1	alternate hypothesis
Hypothesis Testing	α	relative; α alpha	probability of Type I error
Hypothesis Testing	β	relative; β beta	probability of Type II error
Hypothesis Testing	$\bar{X}_1 - \bar{X}_2$	position; relative; $\bar{X}_1 - \bar{X}_2$ X1-bar minus X2-bar	difference in sample means
Hypothesis Testing	$\mu_1 - \mu_2$	position; relative; $\mu_1 - \mu_2$ mu-1 minus mu-2	difference in population means
Hypothesis Testing	$P'_1 - P'_2$	position; relative; $P'_1 - P'_2$ P1-prime minus P2-prime	difference in sample proportions
Hypothesis Testing	$p_1 - p_2$	position; relative; $p_1 - p_2$ p1 minus p2	difference in population proportions
Chi-Square Distribution	X^2	relative; X^2 Ky-square	Chi-square
Chi-Square Distribution	O	relative; O Observed	Observed frequency
Chi-Square Distribution	E	relative; E Expected	Expected frequency
Linear Regression and Correlation	$y = a + bx$	y equals a plus b-x	equation of a line
Linear Regression and Correlation	\hat{y}	relative; \hat{y} y-hat	estimated value of y
Linear Regression and Correlation	r	relative; r correlation coefficient	same
Linear Regression and Correlation	ε	relative; ε error	same

Chapter (1st used)	Symbol	Spoken	Meaning
Linear Regression and Correlation	SSE	Sum of Squared Errors	same
Linear Regression and Correlation	$1.9s$	1.9 times s	cut-off value for outliers
F -Distribution and ANOVA	F	F -ratio	F -ratio

Table F2 Symbols and their Meanings

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